

#1 (d)(q)

constant change in x and y, common difference - linear
slope of 2 y-int of (0,0)

#2 (f)(r)

as x changes by 1 y increases increasingly the differences
in y is a linear pattern - quadratic
y-intercept of (0,2) opens up

#3 (a)(p)

linear pattern like #1
slope of 3 y-int (0,-2)

#4 (h)(o)

linear
slope of -2 y-int (0,100)

#5 (e)(l)

quadratic pattern but opens down
y-int (0,40)

#6 (b)(s)

linear
slope of 2 y-int (0,3)

#7 (g)(t)

linear
slope = $\frac{1}{2}$ y-int (0, $-\frac{3}{2}$)

#8 (j)(k)

quadratic opens up
y-int (0,0)

#9 (i)(m)

quadratic opens up
y-int (0,-1)

#10 (c)(n)

x's increases faster than y
inverses pattern of quad - square root

$$\#29 \quad \frac{v^2 - 5}{+2v^2 + 5} = \frac{8 - 2v^2}{+5 + 2v^2}$$

$$\frac{3v^2}{3} = \frac{13}{3}$$

$$\sqrt{v^2} = \sqrt{\frac{13}{3}}$$

$$v = \pm \sqrt{\frac{13}{3}} \text{ or } \pm \sqrt{\frac{39}{3}}$$

$$\#31 \quad 2x^2 - 9x + 2 = (x-3)(x-2) + 3x$$

$$2x^2 - 5x + 2 = x^2 - 5x + 6 + 3x$$

$$-x^2 + 5x - 3x - 6 = -x^2 + 5x - 6 - 3x$$

$$x^2 - 3x - 4 = 0$$

$$(x-4)(x+1) = 0$$

$$x=4 \quad x=-1$$

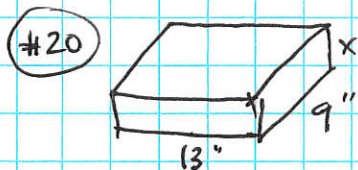
#33 $x(2x-5) = 12$
 $2x^2 - 5x - 12 = 0$
 $(2x+3)(x-4) = 0$
 $2x+3=0$ $x-4=0$
 $\frac{-3}{2}$ $\boxed{x=4}$
 $\frac{2x}{2} = \frac{-3}{2}$
 $\boxed{x = -\frac{3}{2}}$

#35 $x(x+7) = 14$
 $x^2 + 7x - 14 = 0$
 $(x \quad)(x \quad)$ → doesn't factor
 $x = \frac{-7 \pm \sqrt{49 - 4(1)(-14)}}{2}$
 $\boxed{x = \frac{-7 \pm \sqrt{105}}{2}}$

#37 $x+1 - 2\sqrt{x+4} = 0$
 ~~$x+1$~~ $+ 2\sqrt{x+4}$ ~~$-2\sqrt{x+4}$~~
 $(x+1)^2 = (2\sqrt{x+4})^2$
 $x^2 + 2x + 1 = 4(x+4)$
 $x^2 + 2x + 1 = 4x + 16$
 $-4x - 16$ $-4x - 16$

 $x^2 - 2x - 15 = 0$
 $(x-5)(x+3) = 0$
 $\boxed{x=5}$ $\boxed{x=-3}$

1.1 p. 76 20-23, 39-46

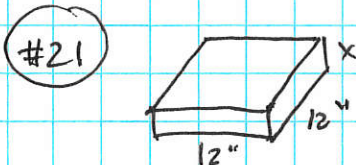


$v = lwh$
 $v = (13)(9)(x)$
 $v = \underline{117x}$

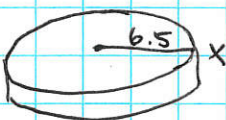


$V = \pi r^2 h$
 $V = \pi (4)^2 x$
 $V = \underline{100.53x}$

Rectangular Cake



$A = (12)(12)$
 $A = \underline{144 \text{ in}^2}$



$A = \pi (6.5)^2$
 $A = \underline{132.732 \text{ in}^2}$

Square Stones

height is same so just the area is compared

#22 $d = 16t^2$
 $\frac{180}{16} = \frac{16t^2}{16}$

Negative time doesn't make sense so

$\sqrt{11.25} = t$
 $\pm 3.354 = t$

$\boxed{t = 3.354 \text{ seconds}}$

$d = 16(12.5)^2$
 $\boxed{d = 2500 \text{ feet}}$

#23 Use calculator
 Stat Edit to enter data
 Stat Calc for regression

$\boxed{y = 1.2t^2}$

39-46 on calculator. I use the y_1 and y_2 method, not how the direction suggested.

#39 $x = 3.906$

#40 $x = -1.086$ $x = 2.864$

#41 $x = 1.333$ $x = 4$

#42 $x = 2.665$

#43 $x = 1.769$

#44 $x = 2.355$

#45 $x = -1.466$

#46 $x = -1$ $x = 0$ $x = 1$

1.2 p. 95 1-8, 9-19 odd
part 1

#1 function #2 Not a function #3 Not a function #4 Function

#5 function #6 Not a function #7 Not a function #8 Function

#9 $f(x) = x^2 + 4$
D: $(-\infty, \infty)$
It's a quadratic!

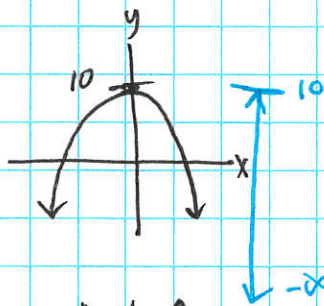
#10 $f(x) = \frac{3x-1}{(x+3)(x-1)}$
Variables in denominator
 $(x+3)(x-1) = 0$
 $x+3=0$ $x-1=0$
 $x \neq -3$ $x \neq 1$
Both are vertical asymptotes by the way
D: $(-\infty, -3) \cup (-3, 1) \cup (1, \infty)$

#13 $g(x) = \frac{x}{x^2-5x}$
 $x^2-5x=0$
 $x(x-5)=0$
 $x \neq 0$ $x-5 \neq 0$
 $x \neq 5$
D: $(-\infty, 0) \cup (0, 5) \cup (5, \infty)$

#15 $h(x) = \frac{\sqrt{4-x}}{(x+1)(x^2+1)}$
radical!
Variables in denominator!
 $\sqrt{4-x} \geq 0$ $x+1 \neq 0$ $x^2+1 \neq 0$
 $4-x \geq 0$ $x \neq -1$ $\sqrt{x^2+1} \neq -1$
 $\frac{4-x}{x} \geq 0$ $\frac{x^2+1}{x^2+1} \neq -1$
 $4 \geq x$ $x \neq -1$
or $x \leq 4$
D: $(-\infty, -1) \cup (-1, 4]$
imaginary

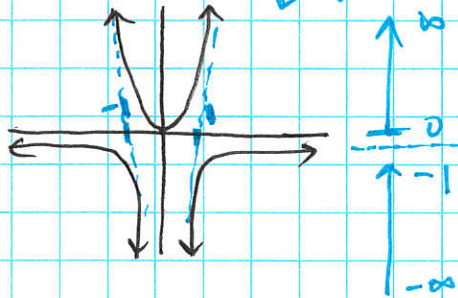
$g(x) = \frac{x}{x(x-5)}$
 $x=0$ is a point discontinuity
 $x=5$ is a vertical asymptote

#17 $f(x) = 10 - x^2$



$R: (-\infty, 10]$

#19 $f(x) = \frac{x^2}{1-x^2}$



Zoom out on x's only
maybe zoom in on y's

x-min = -100000
x-max = 100000
y-min = -5
y-max = 5
y-scl = 1

1.2 p.95 22-34 even, 41-46
part 2

#22 $h(x) = \frac{x^3 + x}{x} = \frac{x(x^2 + 1)}{x}$

* Point discontinuity @ $x=0$

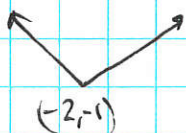
#24 $g(x) = \frac{x}{x-2}$

Vertical asymptote at $x=2$

#26 (1,2) local minimum $f(x)$ decreases on $(-\infty, 1) \cup (5, \infty)$
 (3,3) Neither $f(x)$ increases on $(1, 5)$
 (5,7) local maximum

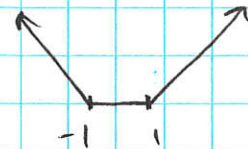
#28 (-1,1) local minimum $f(x)$ decreases on $(-\infty, -1) \cup (1, 3) \cup (5, \infty)$
 (1,6) local maximum $f(x)$ increases on $(-1, 1) \cup (3, 5)$
 (3,1) local minimum
 (5,4) local maximum

~~#24~~
 #29 $f(x) = |x+2| - 1$
 $v = (-2, -1)$



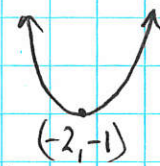
$f(x)$ is decreasing on $(-\infty, -2)$
 $f(x)$ is increasing on $(-2, \infty)$

#30 $y = |x+1| + |x-1| - 3$



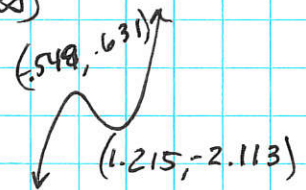
$f(x)$ is decreasing on $(-\infty, -1)$
 $f(x)$ is constant on $[-1, 1]$
 $f(x)$ is increasing on $(1, \infty)$

#32 $h(x) = 0.5(x+2)^2 - 1$



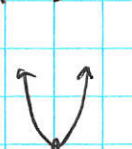
$h(x)$ decreases on $(-\infty, -2)$
 $h(x)$ increases on $(-2, \infty)$

#34 $f(x) = x^3 - x^2 - 2x$




$f(x)$ increases on $(-\infty, -0.549) \cup (1.215, \infty)$
 $f(x)$ decreases on $(-0.549, 1.215)$

#41




Minimum $(5, 3.75)$
 on calculator

#42



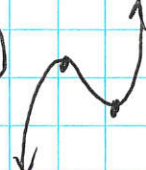
Minimum $(1.155, -2.079)$
 Maximum $(-1.155, 4.079)$
 on calculator

#43




Minimum $(-0.816, -4.089)$
 Maximum $(-0.816, -1.911)$

#44

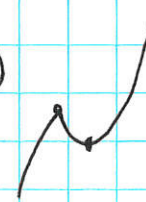


#45



Minimum $(0, 0)$ $(-4, 6.154)$
 Maximum $(-3.2, 9.159)$

#46



Minimum $(-1.25, -3.125)$
 Maximum $(-2.5, 0)$

1.2 p.95 35-40
day 3 47-53 odd

#35 $y = 32$
Bounded

#36 $y = 2 - x^2$
Bounded above

#37 $y = 2^x$
Bounded below

#38 $y = 2^{-x}$
Bounded below

#39 $y = \sqrt{1 - x^2}$
Bounded

#40 $y = x - x^3$
Not bounded

#47 $f(x) = 2x^4$
 $f(-x) = 2(-x)^4 = 2x^4$
Even

#48 $f(x) = \sqrt{x^2 + 2}$
 $f(-x) = \sqrt{(-x)^2 + 2}$
 $= \sqrt{x^2 + 2}$
Even

#51 $f(x) = -x^2 + 0.03x + 5$
 $f(-x) = -(-x)^2 + 0.03(-x) + 5$
 $= -x^2 - 0.03x + 5$
Neither

#53 $g(x) = 2x^3 - 3x$
 $g(-x) = 2(-x)^3 - 3(-x)$
 $= -2x^3 + x$
odd

1.2 p.95 55-61 odd
day 4

#55 $f(x) = \frac{x}{x-1}$
 $x-1 \neq 0$
 $x \neq 1$
Vertical asymptote @ $x=1$
Horizontal asymptote @ $y=1$
 $y = \frac{1}{1}$

#57 $g(x) = \frac{x+3}{3-x}$
 $3-x=0$
 $3=x$
Vertical asymptote @ $x=3$
Horizontal asymptote @ $y=-1$
 $y = \frac{1}{-1}$

#59 $f(x) = \frac{x^2 + 2}{x^2 - 1}$
 $x^2 - 1 = 0$ Vertical asymptotes @ $x=1, x=-1$
 $\sqrt{x^2} = |x|$ Horizontal asymptotes @ $y=1$
 $x = \pm 1$
 $y = \frac{1}{1}$

#61 $g(x) = \frac{4x-4}{x^3-8}$ ← difference of cubes!
 $x^3 - 8 = 0$
 $(x-2)(x^2 + 2x + 4) = 0$
 $x = 2$
Vertical asymptote @ $x=2$
Horizontal asymptote @ $y=0$
 $y = 0$

1.3 ¹⁰⁶
 day 1 p. 1-18, 29, 30, 31,
 34, 60-63

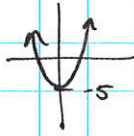
#1 (e) #2 (g) #3 (j) #4 (a) #5 (i) #6 (f)

#7 (k) #8 (h) #9 (d) #10 (c) #11 (l) #12 (b)

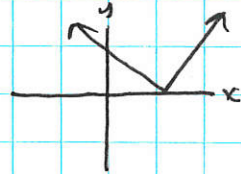
#13 8 #14 3 #15 7, 8 #16 7 #17 2, 4, 6, 10, 11, 12

#18 3, 4, 11, 12

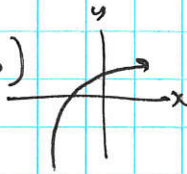
#29 $f(x) = x^2 - 5$
 D: $(-\infty, \infty)$
 R: $[-5, \infty)$



#30 $g(x) = |x - 4|$
 D: $(-\infty, \infty)$
 R: $[0, \infty)$



#31 $h(x) = \ln(x + 6)$
 D: $(-6, \infty)$
 R: $(-\infty, \infty)$



#34 $p(x) = (x + 3)^2$
 D: $(-\infty, \infty)$
 R: $[0, \infty)$



#60 (A)

#61 (D)

#62 (C)

b has H.A.

c has 2 H.A.

d is a step function

e is bounded

All others either

go up, down or

both forever

#63 (E)

1.3 ¹⁰⁶
 day 2 p. 106 35-42 odd
 45-51 odd

#35 $r(x) = \sqrt{x - 10}$




a) $r(x)$ increases on $[10, \infty)$

b) Neither $r(-x) = \sqrt{-x - 10}$

Not the same or opposite

c) minimum @ $x = 10$
 (Global)

d) square root function shifted 10 to the right

#37 $f(x) = \frac{3}{1+e^{-x}}$ 

- a) $f(x)$ increases on $(-\infty, \infty)$
- b) Neither $f(-x) = ?$
- c) No extrema
- d) logistic function, vertical stretch by a factor of 3

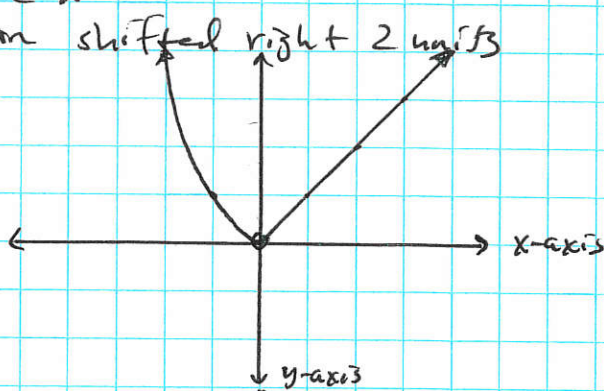
#39 $h(x) = |x| - 10$

- a) $h(x)$ decreases on $(-\infty, 0)$ and increases on $(0, \infty)$
- b) Even $h(-x) = |-x| - 10 = |x| - 10$
- c) Minimum @ $x = 0$
- d) Absolute value function shifted down 10

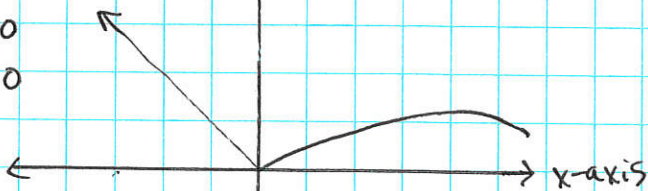
#41 $s(x) = |x-2|$

- a) $s(x)$ decreases on $(-\infty, 2)$ and increases on $(2, \infty)$
- b) Neither
- c) Absolute minimum @ $x = 2$
- d) Absolute value function shifted right 2 units

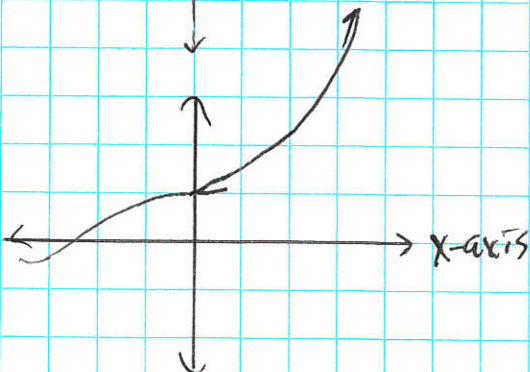
#45 $f(x) = \begin{cases} x & \text{if } x \leq 0 \\ x^2 & \text{if } x > 0 \end{cases}$



#47 $h(x) = \begin{cases} |x| & \text{if } x < 0 \\ \sin x & \text{if } x \geq 0 \end{cases}$



#49 $f(x) = \begin{cases} \cos x & \text{if } x \leq 0 \\ e^x & \text{if } x > 0 \end{cases}$



(#51)

$$f(x) = \begin{cases} x^2 & \text{if } x < -1 \\ |x| & \text{if } -1 \leq x < 1 \\ \text{int}(x) & \text{if } x \geq 1 \end{cases}$$

